

11.2) Occupancy of a state at conduction band edge
 For: Ge, Si, & diamond @ 300K

$$11.35: f(E) \approx e^{-(E - E_F)/kT}$$

(Fermi-Dirac dist.)

where:

$$T = 300K$$

k = Boltzmann constant

$$1.38 \times 10^{-23}$$

For given semiconductors $E_F = \frac{1}{2} E_{g-p}$

For Ge - $E_g = 0.67 \text{ eV}$

$$f(E) = 2.54 \times 10^{-6}$$

also given
 $kT = 0.026 \text{ eV}$
 @ room temp.

Si - $E_g = 1.11 \text{ eV}$

$$f(E) = 5.36 \times 10^{-10}$$

Py. 15c

Σ

Diamond - $E_g = 5 \text{ eV}$

$$f(E) = 1.74 \times 10^{-42}$$

11.3) a) Si doped with 10^{17} As atoms/cm³
 equilibrium hole concentration @ 300K

Law of mass action equations

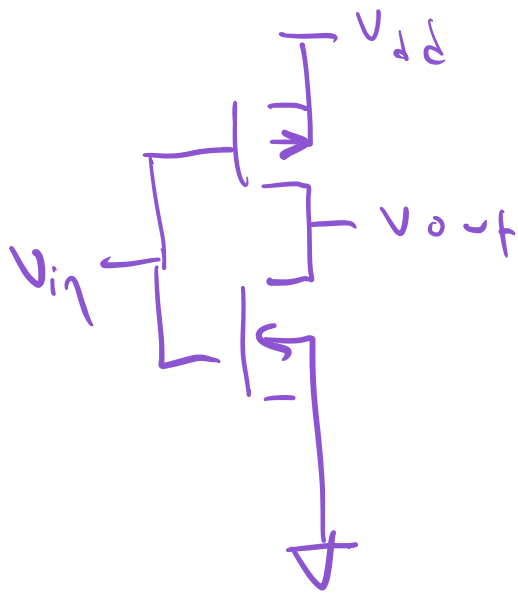
$n_0 \cdot p_0 = n_i^2$ — intrinsic carrier concentration
 electron equilibrium = 10^{17}
 hole equilibrium carrier concentration
solve

$$p_0 = \frac{n_i^2}{n_0} = \frac{(10^{10})^2}{10^{17}} = 10^3 \text{ cm}^{-3}$$

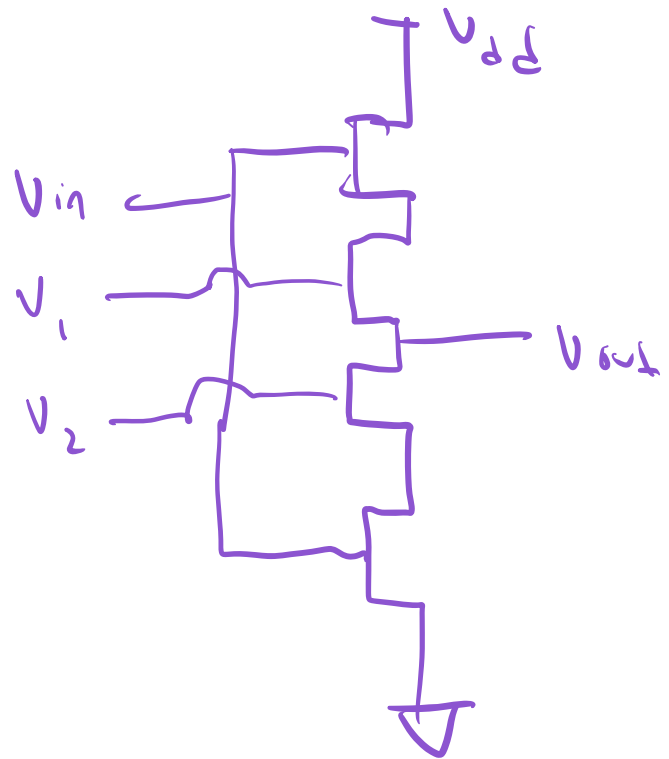
11.4) Design a tristate CMOS inverter

from google:

CMOS INVERTER



TRISTATE



we can now float

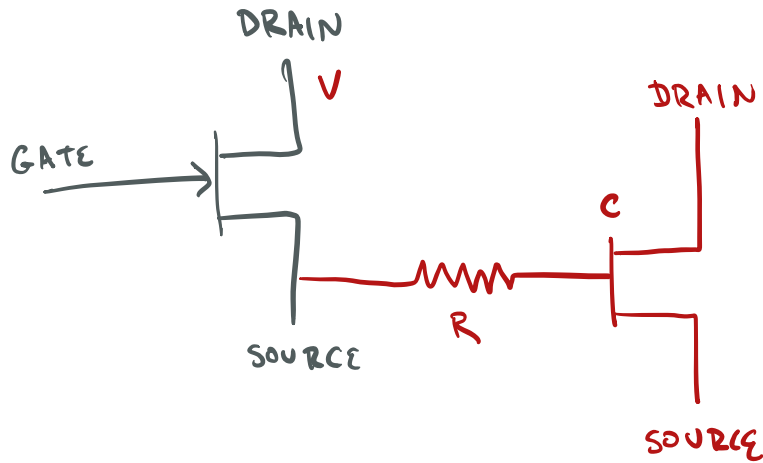
Vout by opening transistors

driven by V_1 + V_2 +

still ground + or drive it to

V_{dd}

11.5)



$$V = 1.8 \text{ V}$$

$$C = 1 \text{ fF}$$

$$= 1 \times 10^{-15} \text{ F}$$

$$a) U_c = \frac{1}{2} V^2 C = \frac{1}{2} \frac{q^2}{C} = \frac{1}{2} q V$$

$$= \frac{1}{2} (1.8)^2 (1 \times 10^{-15}) = \underline{1.62 \times 10^{-15} \text{ J}}$$

b) Let's start by getting total charge moved

$$U = 1.62 \times 10^{-15} = \frac{1}{2} q V \quad \Rightarrow \quad \begin{matrix} \text{solve for} \\ q \end{matrix} \quad 1.8 \times 10^{-15} \text{ C}$$

Then we know:

$$P = IV = \frac{\Delta q \cdot V}{\Delta t} \quad \begin{matrix} \text{multiply by } \Delta t \text{ to get} \\ \text{rid of time dependence} \end{matrix}$$

$$U = \Delta q V = 1.8 \times 10^{-15} (1.8) = 3.24 \times 10^{-15} \text{ J}$$

I believe we've added back in our $1/2$ energy so this should make sense as total energy that's travelled along the wire

$$\therefore U_{\text{dissipated}} = \underline{1.62 \times 10^{-15} \text{ J}}$$

c) as time τ approaches ∞ we should dissipate

0 energy

average current $I = \frac{q}{\tau} = \frac{CV}{\tau}$

same way
 $P = T \cdot \text{rpm}$
 when rpm = 0

$V = IR = \frac{CVR}{\tau}$

now for average power $P = VI$

$P = \frac{CVR}{\tau} \left(\frac{CV}{\tau} \right) = \frac{C^2 V^2 R}{\tau^2}$

integrate over time for energy
 $U = \frac{C^2 V^2 R}{\tau}$

d) If one cycle costs $2(1.62e^{-15}) J$,

$P = U/s$ so in for 1 w we want:

$1 = 2(1.62e^{-15}) \cdot n$

$n = 3.08 \times 10^{14}$
 cycles

e) $10^4 \cdot (3.24e^{-15}) \cdot 10^2 \frac{\text{cycles}}{s}$

total transistors

energy to cycle

cycles/s

3240 w or 3.24 kW (seems way too high)

f) we established $q = 0.9 \text{ e}^{-15}$ where $1 \text{ C} = 6.24 \text{ e}^{18}$

so 8616 electrons